Vieta's Formula in Quadratic Equations

Start

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Let

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Let α

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Let α, β

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Let α, β be the roots

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$$ax^2 + bx + c = 0$$

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Let α, β be the roots of the equation.

$$ax^2 + bx + c = 0 \ (a \neq 0)$$

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$$\begin{cases} (x-\alpha)(x-\beta) & = & 0 \end{cases}$$

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