

# Union, Intersection, Relative Complement(Difference), Universal Set, Absolute Complement(Complement)

▶ Start

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- $A \cup B$  :

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- $A \cup B$  : the union of

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- $A - B$  : the relative complement

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- Universal Set :

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 $A - B = \{x|x \in A \text{ and } x \notin B\}$
- Universal Set : the set of all elements

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