

# Canonical Representation of a Positive Integer

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## Canonical Representation of a Positive Integer

Every positive integer  $n$

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## Canonical Representation of a Positive Integer

Every positive integer  $n > 1$

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## Canonical Representation of a Positive Integer

Every positive integer  $n > 1$  can be represented

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## Canonical Representation of a Positive Integer

Every positive integer  $n > 1$  can be represented in exactly one way

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## Canonical Representation of a Positive Integer

Every positive integer  $n > 1$  can be represented in exactly one way as a product of prime powers.



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$$n =$$

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$$n = p_1^{\alpha_1}$$

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$$n = p_1^{\alpha_1} p_2^{\alpha_2}$$

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