극한값에 관한 기본 성질

▸ 시작

▶ 시작

$$\lim$$

시작

$$\lim_{x}$$

▸ 시작

$$\lim_{x \to}$$

극한값에 관한 기본 성질

▸ 시작

$$\lim_{x \to a}$$

극한값에 관한 기본 성질

▸ 시작

$$\lim_{x \to a} f(x) =$$

극한값에 관한 기본 성질

▸ 시작

$$\lim_{x \to a} f(x) = \alpha,$$

극한값에 관한 기본 성질

▸ 시작

$$\lim_{x \to a} f(x) = \alpha, \quad \lim$$

극한값에 관한 기본 성질

▸ 시작

$$\lim_{x \to a} f(x) = \alpha, \ \lim_{x}$$

▸ 시작

$$\lim_{x \to a} f(x) = \alpha, \ \lim_{x \to}$$

▸ 시작

$$\lim_{x\to a} f(x) = \alpha, \ \ \lim_{x\to a}$$

극한값에 관한 기본 성질

▸ 시작

$$\lim_{x \to a} f(x) = \alpha, \ \lim_{x \to a} g(x) =$$

극한값에 관한 기본 성질

▸ 시작

$$\lim_{x\to a} f(x) = \alpha, \ \lim_{x\to a} g(x) = \beta$$

극한값에 관한 기본 성질

▸ 시작

$$\lim_{x \to a} f(x) = \alpha, \ \lim_{x \to a} g(x) = \beta \ (\alpha, \beta \in \mathbb{R})$$

극한값에 관한 기본 성질

▸ 시작

$$\lim_{x \to a} f(x) = \alpha, \ \lim_{x \to a} g(x) = \beta \ (\alpha, \beta \in \mathbb{R})$$

- lim

▸ 시작

$$\lim_{x \to a} f(x) = \alpha, \ \lim_{x \to a} g(x) = \beta \ (\alpha, \beta \in \mathbb{R})$$

- $\lim\limits_{x}$

극한값에 관한 기본 성질

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- $\lim\limits_{x\to}$

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- $\lim\limits_{x\to a} k$

극한값에 관한 기본 성질

▸ 시작

$$\lim_{x\to a} f(x) = \alpha, \ \lim_{x\to a} g(x) = \beta \ (\alpha, \beta \in \mathbb{R})$$

- $\lim_{x\to a} kf(x)$

극한값에 관한 기본 성질

▸ 시작

$$\lim_{x\to a} f(x) = \alpha,\ \lim_{x\to a} g(x) = \beta\ (\alpha, \beta \in \mathbb{R})$$

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- $\lim_{x \to a} kf(x) = k$

▸ 시작

$$\lim_{x\to a} f(x) = \alpha,\ \ \lim_{x\to a} g(x) = \beta\ (\alpha, \beta \in \mathbb{R})$$

- $\lim_{x\to a} kf(x) = k\alpha$

극한값에 관한 기본 성질

▸ 시작

$$\lim_{x\to a} f(x) = \alpha, \ \lim_{x\to a} g(x) = \beta \ (\alpha, \beta \in \mathbb{R})$$

- $\lim_{x\to a} kf(x) = k\alpha \ (k \ is \ a \ constant.)$

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- lim

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- $\lim_{x \to a} \{f(x) \pm g(x)\}$

극한값에 관한 기본 성질

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극한값에 관한 기본 성질

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- $\lim$

극한값에 관한 기본 성질

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$$\lim_{x \to a} f(x) = \alpha, \ \lim_{x \to a} g(x) = \beta \ (\alpha, \beta \in \mathbb{R})$$

- $\lim_{x \to a} kf(x) = k\alpha$ (k *is a constant*.)
- $\lim_{x \to a} \{f(x) \pm g(x)\} = \alpha \pm \beta$ (*Double signs in same order*.)
- $\lim_{x}$

극한값에 관한 기본 성질

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- $\lim_{x \to}$

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극한값에 관한 기본 성질

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- $\lim_{x \to a} \{f(x) \pm g(x)\} = \alpha \pm \beta \ (Double \ signs \ in \ same \ order.)$
- $\lim_{x \to a} \{f(x)g(x)\}$

극한값에 관한 기본 성질

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$$\lim_{x\to a} f(x) = \alpha,\ \lim_{x\to a} g(x) = \beta\ (\alpha, \beta \in \mathbb{R})$$

- $\lim_{x\to a} kf(x) = k\alpha\ (k\ is\ a\ constant.)$
- $\lim_{x\to a} \{f(x) \pm g(x)\} = \alpha \pm \beta\ (Double\ signs\ in\ same\ order.)$
- $\lim_{x\to a} \{f(x)g(x)\} =$

극한값에 관한 기본 성질

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$$\lim_{x \to a} f(x) = \alpha, \ \lim_{x \to a} g(x) = \beta \ (\alpha, \beta \in \mathbb{R})$$

- $\lim_{x \to a} kf(x) = k\alpha \ (k \ is \ a \ constant.)$
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극한값에 관한 기본 성질

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$$\lim_{x\to a} f(x) = \alpha,\ \lim_{x\to a} g(x) = \beta\ (\alpha, \beta \in \mathbb{R})$$

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- $\lim_{x \to a} \{f(x)g(x)\} = \alpha\beta$
- $\lim$

▸ 시작

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- $\lim_{x \to a} \{f(x)g(x)\} = \alpha\beta$
- $\lim_{x}$

극한값에 관한 기본 성질

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$$\lim_{x\to a} f(x) = \alpha, \ \lim_{x\to a} g(x) = \beta \ (\alpha, \beta \in \mathbb{R})$$

- $\lim_{x\to a} kf(x) = k\alpha \ (k \textit{ is a constant.})$
- $\lim_{x\to a} \{f(x) \pm g(x)\} = \alpha \pm \beta \ (\textit{Double signs in same order.})$
- $\lim_{x\to a} \{f(x)g(x)\} = \alpha\beta$
- $\lim_{x\to}$

▸ 시작

$$\lim_{x\to a} f(x) = \alpha,\ \ \lim_{x\to a} g(x) = \beta\ (\alpha, \beta \in \mathbb{R})$$

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- $\lim_{x\to a} \{f(x)g(x)\} = \alpha\beta$
- $\lim_{x\to a}$

극한값에 관한 기본 성질

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$$\lim_{x\to a} f(x) = \alpha,\ \lim_{x\to a} g(x) = \beta\ (\alpha, \beta \in \mathbb{R})$$

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- $\lim_{x\to a} \{f(x)g(x)\} = \alpha\beta$
- $\lim_{x\to a} \frac{f(x)}{}$

▸ 시작

$$\lim_{x \to a} f(x) = \alpha, \ \lim_{x \to a} g(x) = \beta \ (\alpha, \beta \in \mathbb{R})$$

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- $\lim_{x \to a} \{f(x) \pm g(x)\} = \alpha \pm \beta \ (Double \ signs \ in \ same \ order.)$
- $\lim_{x \to a} \{f(x)g(x)\} = \alpha\beta$
- $\lim_{x \to a} \dfrac{f(x)}{g(x)}$

극한값에 관한 기본 성질

시작

$$\lim_{x \to a} f(x) = \alpha, \ \lim_{x \to a} g(x) = \beta \ (\alpha, \beta \in \mathbb{R})$$

- $\lim_{x \to a} kf(x) = k\alpha \ (k \ is \ a \ constant.)$
- $\lim_{x \to a} \{f(x) \pm g(x)\} = \alpha \pm \beta \ (Double \ signs \ in \ same \ order.)$
- $\lim_{x \to a} \{f(x)g(x)\} = \alpha\beta$
- $\lim_{x \to a} \frac{f(x)}{g(x)} =$

극한값에 관한 기본 성질

▸ 시작

$$\lim_{x\to a} f(x) = \alpha,\ \lim_{x\to a} g(x) = \beta\ (\alpha, \beta \in \mathbb{R})$$

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- $\lim_{x\to a} \{f(x) \pm g(x)\} = \alpha \pm \beta\ (Double\ signs\ in\ same\ order.)$
- $\lim_{x\to a} \{f(x)g(x)\} = \alpha\beta$
- $\lim_{x\to a} \dfrac{f(x)}{g(x)} = \dfrac{\alpha}{\ }$

극한값에 관한 기본 성질

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극한값에 관한 기본 성질

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- $\lim_{x\to a} \{f(x)g(x)\} = \alpha\beta$
- $\lim_{x\to a} \frac{f(x)}{g(x)} = \frac{\alpha}{\beta}\ (\beta \neq 0)$

극한값에 관한 기본 성질

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- $\lim\limits_{x\to a} \{f(x) \pm g(x)\} = \alpha \pm \beta\ (Double\ signs\ in\ same\ order.)$
- $\lim\limits_{x\to a} \{f(x)g(x)\} = \alpha\beta$
- $\lim\limits_{x\to a} \dfrac{f(x)}{g(x)} = \dfrac{\alpha}{\beta}\ (\beta \neq 0)$
- $f(x)$

극한값에 관한 기본 성질

▸ 시작

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- $\lim_{x\to a} \{f(x)g(x)\} = \alpha\beta$
- $\lim_{x\to a} \frac{f(x)}{g(x)} = \frac{\alpha}{\beta}\ (\beta \neq 0)$
- $f(x) <$

극한값에 관한 기본 성질

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- $\lim_{x\to a} \{f(x)g(x)\} = \alpha\beta$
- $\lim_{x\to a} \dfrac{f(x)}{g(x)} = \dfrac{\alpha}{\beta}\ (\beta \neq 0)$
- $f(x) < g(x)$

▸ 시작

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- $\lim_{x\to a} \{f(x)g(x)\} = \alpha\beta$
- $\lim_{x\to a} \dfrac{f(x)}{g(x)} = \dfrac{\alpha}{\beta}\ (\beta \neq 0)$
- $f(x) < g(x) \Rightarrow$

▸ 시작

$$\lim_{x\to a} f(x) = \alpha, \ \lim_{x\to a} g(x) = \beta \ (\alpha, \beta \in \mathbb{R})$$

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- $\lim_{x\to a} \frac{f(x)}{g(x)} = \frac{\alpha}{\beta} \ (\beta \neq 0)$
- $f(x) < g(x) \Rightarrow \alpha$

극한값에 관한 기본 성질

▸ 시작

$$\lim_{x\to a} f(x) = \alpha,\ \ \lim_{x\to a} g(x) = \beta\ (\alpha, \beta \in \mathbb{R})$$

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- $\lim_{x\to a} \{f(x)g(x)\} = \alpha\beta$
- $\lim_{x\to a} \frac{f(x)}{g(x)} = \frac{\alpha}{\beta}\ (\beta \neq 0)$
- $f(x) < g(x) \Rightarrow \alpha \leq$

극한값에 관한 기본 성질

▸ 시작

$$\lim_{x\to a} f(x) = \alpha,\ \lim_{x\to a} g(x) = \beta\ (\alpha, \beta \in \mathbb{R})$$

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- $\lim_{x\to a} \frac{f(x)}{g(x)} = \frac{\alpha}{\beta}\ (\beta \neq 0)$
- $f(x) < g(x) \Rightarrow \alpha \leq \beta$

극한값에 관한 기본 성질

처음

$$\lim_{x\to a} f(x) = \alpha,\ \lim_{x\to a} g(x) = \beta\ (\alpha, \beta \in \mathbb{R})$$

- $\lim_{x\to a} kf(x) = k\alpha\ (k\ is\ a\ constant.)$
- $\lim_{x\to a} \{f(x) \pm g(x)\} = \alpha \pm \beta\ (Double\ signs\ in\ same\ order.)$
- $\lim_{x\to a} \{f(x)g(x)\} = \alpha\beta$
- $\lim_{x\to a} \dfrac{f(x)}{g(x)} = \dfrac{\alpha}{\beta}\ (\beta \neq 0)$
- $f(x) < g(x) \Rightarrow \alpha \leq \beta$