

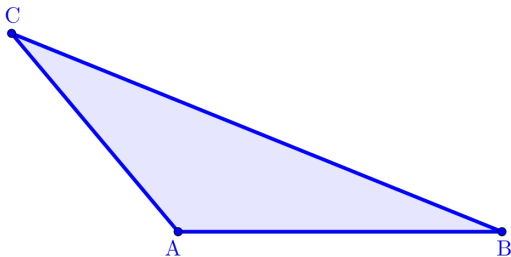
## 둔각삼각형의 넓이 (The Area of Obtuse Triangle)

# The Area of Obtuse Triangle

▶ Start

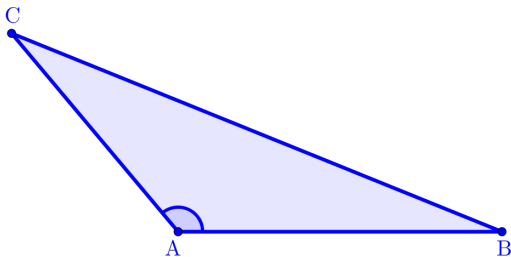
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▶ Start



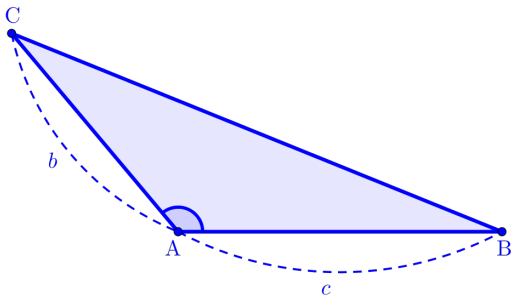
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▶ Start



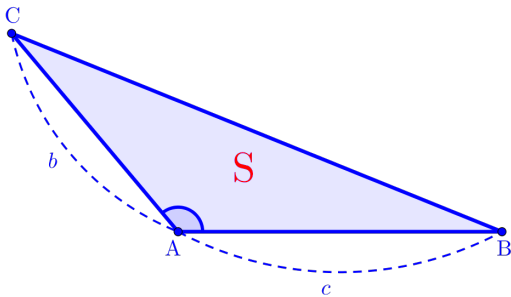
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▶ Start



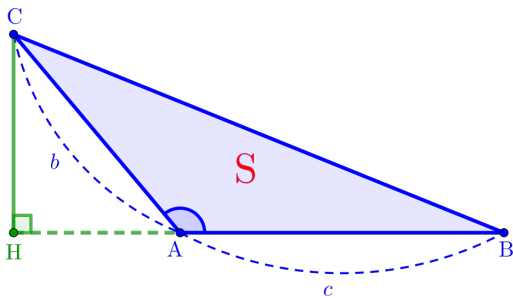
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▶ Start



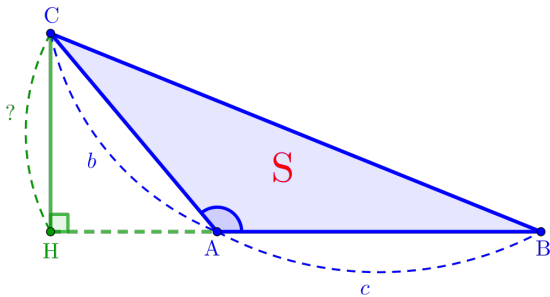
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▶ Start



# The Area of Obtuse Triangle

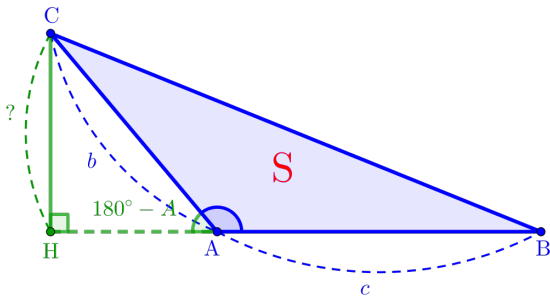
▶ Start





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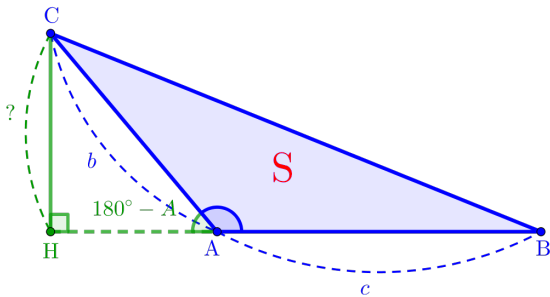
▶ Start



# The Area of Obtuse Triangle

▶ Start

$$\sin(180^\circ - A) = \frac{\overline{CH}}{b}$$

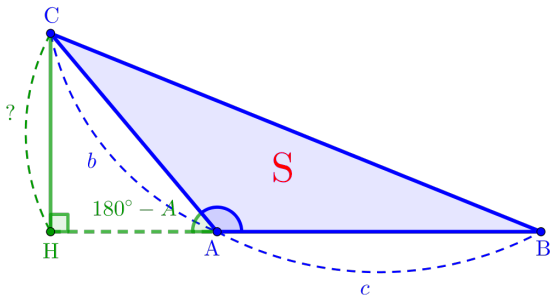


# The Area of Obtuse Triangle

▶ Start

$$\sin(180^\circ - A) = \frac{\overline{CH}}{b}$$

$$\therefore \overline{CH} = b \sin(180^\circ - A)$$

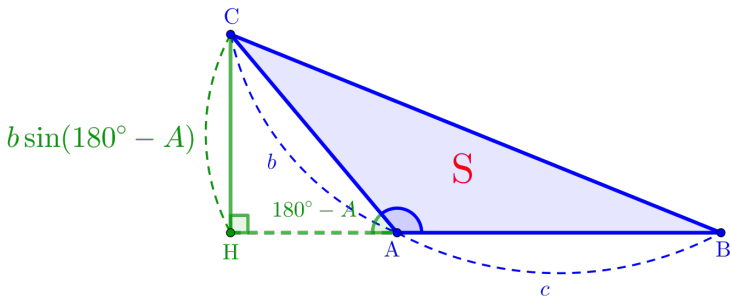


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▶ Start

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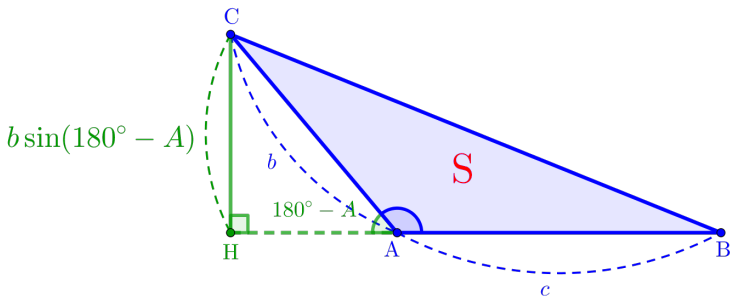
# The Area of Obtuse Triangle

▶ Start

$$\sin(180^\circ - A) = \frac{\overline{CH}}{b}$$

$$S = \frac{1}{2} \times c \times b \sin(180^\circ - A)$$

$$\therefore \overline{CH} = b \sin(180^\circ - A)$$



# The Area of Obtuse Triangle

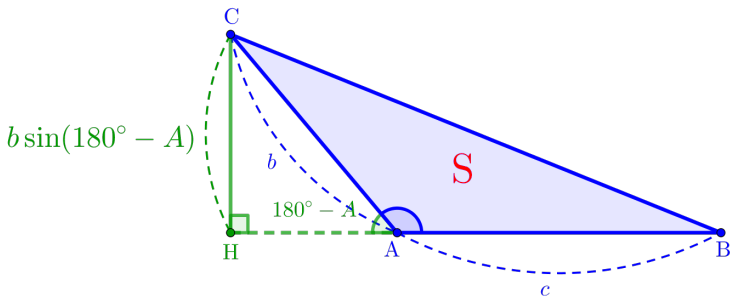
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$$S = \frac{1}{2} \times c \times b \sin(180^\circ - A)$$

$$= \frac{1}{2} cb \sin(180^\circ - A)$$



# The Area of Obtuse Triangle

▶ Start

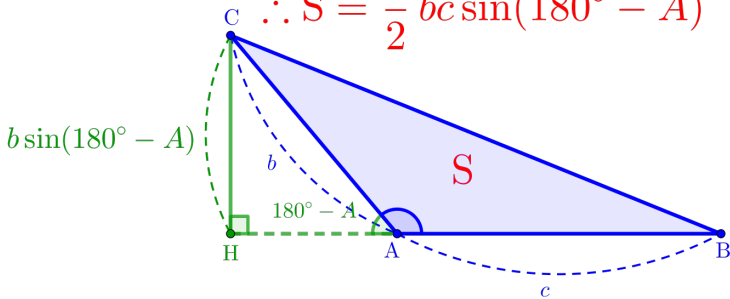
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# The Area of Obtuse Triangle

▶ Home

$$\sin(180^\circ - A) = \frac{\overline{CH}}{b}$$

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